## Problem 1-Spheres

As part of a routine investigation, detective John Jones has to dust a manhole cover for fingerprints. While scrutinizing the round metal disc, some thoughts come to his mind: the area of a circle is  $\pi r^2$ ; the perimeter is  $2\pi r$ . Spheres are round, too, and John knows the formulae for them as well: the volume is  $\frac{4}{3}\pi r^3$ ; the surface area is  $4\pi r^2$ .

Now, no one knows better than John that there are worlds upon worlds and dimensions upon dimensions. He knows that when you are speaking of many-dimensional spheres, you use the term "content" to describe its multidimensional volume and "surface" to describe its one-dimension-fewer surface area. An *n*-dimensional sphere is simply the collection of all points in *n*-dimensional space the same distance (r) from some given point (the center). The amount of the space enclosed by those points is the content, and the amount of space containing these points is the surface.

A zero-dimensional sphere is just a single point. Its content is simply 1; it is a single point. It has no surface, so we say its surface is 0.

A one-dimensional sphere is a line segment. Its content is 2r, and its surface consists of its two endpoints, so its surface is 2.

The two- and three-dimensional formulae are described above, but why stop there? A four-dimensional sphere, for example, has content  $\frac{1}{2}\pi^2 r^4$  and surface  $2\pi^2 r^3$ .

The content of an *n*-dimensional sphere is always of the form  $k_n r^n$ , and its surface is always of the form  $k'_n r^{n-1}$ . But what are  $k_n$  and  $k'_n$ ? That is what you must compute.

**INPUT SPECIFICATION.** Each data case consists of a single unsigned decimal integer no greater than 100 representing the number of dimensions of the sphere. These integers may be preceded, followed, and/or separated by any number of spaces and **<EOLN>**'s.

**OUTPUT SPECIFICATION.** The output cases should appear in the same order as their respective input cases. The output should be in the format "Case c: Content is k r^n and surface is k' r^s." C is the case number; k is the content; n is the dimension of the sphere; k' is the surface content; s is the dimension of the surface (s=n-1). k and k' should be correct to the nearest thousandth and should be printed with three digits after the decimal point. Each output case should be followed by exactly one **<EOLN>**.

## SAMPLE INPUT.

0<EOLN> 1<EOLN> 2<EOLN> 3<EOLN> 4<EOLN> <EOF>

## SAMPLE OUTPUT.

Case 1: Content is 1.000 r^0 and surface is 0.000 r^-1. EOLN> Case 2: Content is 2.000 r^1 and surface is 2.000 r^0. EOLN> Case 3: Content is 3.142 r^2 and surface is 6.283 r^1. EOLN> Case 4: Content is 4.189 r^3 and surface is 12.566 r^2. EOLN> Case 5: Content is 4.935 r^4 and surface is 19.739 r^3. EOLN> EOF>